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Morris D. Argyle
mdargyle@byu.edu

Gui-Bing Zhao

S.V.B. Janardhan Garikipati

Xudong Hu

Maciej Radosz

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The Effect of Gas Pressure on NO Conversion Energy Efficiency in Nonthermal Nitrogen Plasma

Gui-Bing Zhao, S. V. B. Janardhan Garikipati, Xudong Hu, Morris D. Argyle, Maciej Radosz*
*Department of Chemical & Petroleum Engineering, University of Wyoming, Laramie, WY
82071-3295, USA*

Abstract

This work explores the effect of gas pressure on the rate of electron collision reactions and energy consumption for NO conversion in N₂ in a pulsed corona discharge reactor. A previous study showed that the rate constant of electron collision reactions, multiplied by the electron concentration, can be expressed as $k[e] = \beta\alpha^{-0.5}P^{-0.5}W^{0.75}\exp(-\alpha P/W)$. The model parameter α remains constant with increasing gas pressure, which verifies the previous assumption that the electron temperature is inversely proportional to gas pressure. However, the model parameter β decreases with increasing gas pressure, which indicates that the rate constant of electron collision reactions decreases with increasing gas pressure. The new expression for the rate constant of electron collision reactions, $k[e] = B\alpha^{-0.5}P^{-1.4}W^{0.75}\exp(-\alpha P/W)$, is more general because it explicitly accounts for the effect of gas pressure that was previously contained in the parameter β . The electron mean energy decreases with increasing gas pressure, which results in thermal dissipation of a larger fraction of the energy input to the reactor that heats the gas instead of producing plasma chemical reactions. Therefore, energy efficiency for NO conversion in N₂ decreases with increasing gas pressure.

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* Corresponding author. E-mail: radosz@uwyo.edu, tel: 307-766-2500, fax: 307-766-6777

Introduction

Environmental regulations governing the emission of harmful gases into the atmosphere, such as NO_x, require efficient abatement methods. Among the emerging technologies for NO_x conversion, nonthermal plasma is one of the most promising. A pulsed corona discharge reactor (PCDR) is one of the nonthermal plasma technologies, characterized by low gas temperature but high electron temperature, achieved by producing high energy electrons in the gas while leaving the bulk temperature of the gas unchanged. A PCDR utilizes a high-voltage, short-duration (<100 ns) electrical discharge between non-uniform electrodes to produce streamers through the growth of electron avalanches formed by electron collision ionization events in the gas (Raether, 1964). A streamer is a region of highly ionized gas where a wide range of active radicals and chemical species are formed through electron collision reactions with the background gas. These active species, in turn, initiate bulk phase reactions that lead to NO_x conversion to nitrogen and oxygen.

One of the major concerns for applications of nonthermal plasma is the energy consumption. Currently, reported energy costs for using nonthermal plasma processes to decompose NO_x vary considerably [e.g., from 70 to 780 eV/molecule (Yamamoto et al., 2000)]. All of these reported values of energy consumption represent low energy efficiencies because N atoms, which are one of the main active species responsible for NO_x conversion (Zhao et al., 2004b), can be formed from N₂ dissociation at much lower energies (i.e., the dissociation energy is 9.8 eV/molecule). Although many investigators proposed that energy consumption of NO_x conversion can be reduced by the optimization of the reactor configuration, [such as changing electrode diameter (Abdel-Salam et al., 2003), reactor length (Namihira et al., 2001), type of discharge (Penetrante et al., 1995), and series/parallel reactor configurations (Zhao et al., 2004a; Zhao et al., 2004c)],

only a few investigators recognized that optimization of reactor pressure is also an important factor for reducing energy cost in conversion of NO using a PCDR. Starikovskaia et al. (2001) investigated the structure of the electrical breakdown in low-temperature pulsed discharges and found that there is an optimal pressure range for the development of the uniform nanosecond breakdown, in which maximum energy (around 60%) goes into gas excitation to produce the reactive species. They also found that the energy distribution and ionization efficiency vary with the reactor pressure. Spiliopoulos et al. (1997) found that the electron collision reaction rates also vary with pressure due to the dependence of the mean electron energy or the electron energy distribution on the reactor pressure. Huang and Suib (1993) recognized that pressure is an important parameter for plasma reactors. Their experimental and theoretical studies both showed that the energy efficiency varies with pressure and that there is an optimal pressure for maximum energy efficiency. A more recent kinetic model for NO_x decomposition in a PCDR (Hu et al., 2003; Zhao et al., 2004d) predicted that the rate of electron collision reactions should depend on the reactor pressure.

The goal of this work is to investigate such pressure effects not only on the rate of electron collision reactions, but also on energy efficiency of NO_x conversion from 1.46 atm to 2.82 atm (absolute), which is the typical range of the diesel engine exhaust pressure (Anderson, 1957; Lilly, 1984).

Experimental

The pulsed corona discharge reactor used in this work consisted of a high-voltage power supply with control unit and the pulser/reactor assembly, as explained in detail elsewhere (Hu et al., 2002). The high voltage controller contained electronic and gas controls required to regulate

the high voltage charging power supply as well as the pulsed power delivered to the reactor gas. The pulser/reactor assembly contained the pulsed power generator and the pulsed corona discharge reaction tubes. The reactor had ten parallel stainless steel tubes, each 914 mm in length and 23 mm in diameter, with a stainless steel wire, 0.58 mm in diameter, passing axially through the center of each tube. The wire was positively charged and the tube was grounded. The gas flowing through the reactor tube was converted to a plasma by high voltage discharge from the reactor anode. One tube was fitted with UV-grade quartz windows for diagnostics and plasma observation. The reactor pressure was varied using a control valve in the reactor outlet line. The number of parallel-reactor tubes used in a given experiment was varied by installing a wire in each active tube and sealing the unused tubes with Teflon corks with O-rings. The energy delivered to the reactor per pulse can be calculated either from time integral of the product of the measured pulse discharge voltage (V) and current (I) or from $\frac{1}{2}CV_c^2$, where C is the pulse forming capacitance (800 pF) and V_c is the charge voltage before discharge. The discrepancy between the calculated values for energy per pulse using above two methods is less than 3%. Since the current can fluctuate and may be shifted in phase relative to voltage, the second method should be more accurate. Therefore, the energy input per pulse is calculated as $\frac{1}{2}CV_c^2$ in this work. The power consumed (W, in Watts) is calculated as the product of the energy per pulse and the pulse frequency. The system design permitted variation and measurement of applied voltage and its frequency, reactor current and reactor voltage.

The experimental test matrix is shown in Table 1. The test gas mixture of NO in N₂ was introduced into the PCDR at ambient temperature, around 300K, and at different reactor pressures ranging from 1.46 atm to 2.82 atm (absolute). Gas samples were collected from a common header at the discharge end of the PCDR in small stainless steel cylinders and analyzed

for stable species using a Spectrum 2000 Perkin-Elmer Fourier transform infrared (FTIR) spectrometer with a narrow-band mercury cadmium telluride (MCT) detector.

Energy consumption analysis of the PCDR was one of the main tasks in this work. The voltage and current pulses were the source of energy for the gas. As found previously (Zhao et al., 2004b), NO₂ and N₂O are formed as byproducts when NO is converted in N₂. Therefore, total NO_x conversion was calculated, rather than NO conversion, because total NO_x conversion reflects the degree of direct decomposition of NO into N₂ and O₂. Total NO_x conversion was defined as the amount of NO converted to N₂ as follows

$$X_{N_2} = \frac{C_{i,\text{NO}} - C_{o,\text{NO}} - C_{o,\text{NO}_2} - 2 \times C_{o,\text{N}_2\text{O}}}{C_{i,\text{NO}}} \times 100\% \quad (2)$$

and the corresponding energy consumption, En, in eV per NO molecule converted to benign gases, N₂ and O₂, is expressed below in terms of total NO_x conversion

$$En = \frac{W}{C_{i,\text{NO}} \cdot X_{N_2} \cdot F} \times 1.0364 \times 10^{-5} \quad (3)$$

where C_i is the concentration at the reactor inlet (mol/m³), C_o is the concentration at the reactor outlet (mol/m³), X_{N₂} is the total conversion of NO to N₂, W is power input (J/s), F is flow rate (m³/s), and 1.0364×10⁻⁵ is the conversion factor for J/mol to eV/molecule. On the basis of prior work (Zhao et al., 2004b; Zhao et al., 2004d), a total of 20 reactions with two electron collision reactions, shown in Table 2, were selected to simulate the system of NO in N₂.

The plasma reactor described above was modeled using a lumped kinetic model that describes the concentrations of all species as functions of the experimental variables, reported elsewhere (Zhao et al., 2004d). The important model parameters embodying the rate of electron collision reactions are α and β , as shown in Eq. (4).

$$k[e] = \beta \sqrt{\frac{1}{\alpha P}} W^{0.75} \exp\left(-\frac{\alpha P}{W}\right) \quad (4)$$

where k is the rate constant of the electron collision reaction ($\text{cm}^3 \cdot \text{mol}^{-1} \cdot \text{s}^{-1}$), $[e]$ is the concentration of electrons (mol/cm^3), W is the power input (J/s), and P is the system pressure (atm). The parameters α and β were determined from experimental data using a previously presented optimization method (Zhao et al., 2004d).

Results and Discussion

Effect of reactor pressure on discharge

The important initiating reactions in the corona discharge are caused by the collisions of energetic electrons, produced by the electrical discharge, with gas molecules in the reactor. Therefore, the rate of electron collision reactions directly determines the rate of NO_x conversion. A fingerprint of the electron collision reactions in the PCDR is a discharge voltage versus time plot (waveform), which characterizes the properties of the streamers around the discharge wire. Figure 1 shows discharge voltage waveforms for five different reactor pressures using a two-tube reactor at 200 Hz pulse frequency. The discharge voltage waveforms can be divided into two sections. The first section is the initial peak, where the discharge voltage increases from zero to a maximum and then decreases back to zero. Approximately 99% of the total energy to the PCDR is delivered in this first section, which corresponds to energy dissipated for streamer propagation. The second section contains the subsequent fluctuations of discharge voltage, which correspond to energy dissipated after streamer propagation. As discussed by Mok et al. (1998), the second section of the energy input produces only slow electrons that do not contribute to the formation of active species because the energy delivered after streamer

propagation is mainly used to sustain the low conductivity streamer channel and produce secondary streamers. Therefore, the important characteristics of the discharge streamer can be described by the first section of the discharge voltage. The main parameters that influence the properties of the streamers are the rise rate, pulse width and the peak value of the applied voltage (Hackam and Akiyama, 2000; van Veldhuizen et al., 1990; Creyghton et al., 1991a; Creyghton et al., 1991b), which are shown in Table 3 for different pressures. These results show that pulse peak value and rise rate are not affected by the reactor pressure. However, the pulse width, defined as the base width of the first peak at the point that it crosses the time axis, increases with increasing reactor pressure. Pulse width is an important parameter that affects energy efficiency of plasma chemical reactions. Generally, short pulses are more energy efficient than long pulses (Puchkarev and Gundersen, 1997; Hackam and Akiyama, 2000).

In the PCDR, all active species responsible for NO_x conversion are produced through energetic electron collisions with background gases or the collisions between the molecules and ions, which are accurately described by the streamer propagation mechanism (Sigmond, 1984). A positive streamer (as in our reactor, in which the wire is the anode) is a potential ionizing wave, which propagates against the direction of electron drift. Electrons gain energy during drift from cathode to anode through acceleration in the imposed external electric field and space-charge field close to streamer head. As electrons drift, they lose their energy through collisions with neutral gas molecules. Therefore, on average, electrons can be accelerated only over the mean free path of the neutral gas molecules, which decreases with increasing pressure. Thus, electron velocity before collision with neutral gas molecules decreases with increasing gas pressure, which means that the average electron drift velocity decreases with increasing gas pressure. This is consistent with Creyghton's (1994) conclusion that the electron drift velocity

decays with increasing gas pressure to the -0.8 power. Therefore, the streamer propagation velocity decreases and the width of the discharge voltage pulse increases with increasing gas pressure, which explains the data in Table 3.

Effect of reactor pressure on model parameters

The previous discussion explains that gas pressure affects the electrical discharge properties in a PCDR. Therefore, gas pressure affects the rate of electron collision reactions. A previous study (Zhao et al., 2004d) showed that the rate constant of electron collision reactions, multiplied by the electron concentration, can be expressed as in Eq.(4). The parameters α and β were determined for the five different pressures tested in the two-tube reactor using a previously presented optimization method (Zhao et al., 2004d). Figure 2 shows the experimental data and the correlated data for NO, NO₂ and N₂O concentrations at the reactor outlet. The good agreement between the experimental data and the correlated data indicates that the two-parameter model accurately characterizes the kinetics of electron collision reactions R1 and R2.

Figure 3 shows the effect of reactor pressure on the model parameter α for electron collision reactions R1 and R2; α is nearly constant with reactor pressure. One of the assumptions for the kinetic model developed in our previous work (Zhao et al., 2004d; Hu et al., 2003) was that the electron temperature is inversely proportional to the reactor pressure, as in Eq. (5)

$$k_B T_e = \frac{E^0 W}{\alpha P} \quad (5)$$

where k_B is the Boltzmann constant, T_e is the electron temperature, E^0 is the activation energy for an electron collision reaction to occur, W is the input power, α is a constant of proportionality and P is the absolute reactor pressure. According to Eq. (5), when pressure increases, the

electron temperature decreases. Hence, α should remain constant with varying reactor pressures as shown in Figure 3, which validates the underlying assumption.

Figure 4 shows the effect of pressure on the model parameter β for electron collision reactions R1 and R2. Parameter β is inversely proportional to 0.9th power of reactor pressure, based on a least squares regression analysis. Thus, β can be expressed as

$$\beta = B \cdot P^{-0.9} \quad (6)$$

where B is a constant of proportionality, and substituted in Eq. (4) as follows:

$$k[e] = B\alpha^{-0.5}P^{-1.4}W^{0.75}\exp(-\alpha P/W) \quad (7)$$

Figure 5 shows values of the rate constant of electron collision reactions as a function of power input, calculated from Eq. (7) with the values of α and β given in Table 4 for five different reactor pressures, in which α and β are shown in Figure 3 and 4, respectively, and B is obtained from Eq. (6). The rate constant for both electron collision reactions R1 and R2 increases with increasing power input. However, the rate constant for both electron collision reactions decreases with increasing gas pressure at the same power input. Similar results were obtained by Lowke and Morrow (1995). As discussed above, the electron drift velocity decreases with increasing gas pressure, which means that the mean electron energy decreases with increasing gas pressure. Having analyzed the dissipation of input electrical power as a function of the average kinetic energy of the electrons, Penetrante et al. (1997) found that the fraction of input power consumed in electron collision processes leading to dissociation of N₂ decreases with decreasing electron mean energy. Thus, the rate constant of electron collision reactions decreases with increasing gas pressure.

Model prediction

Previous investigations (Zhao et al., 2004a; Zhao et al., 2004d) showed that the lumped model accurately predicts the effects of varying gas residence time, initial NO concentration and power input. However, the pressure dependence of model parameter β required different sets of β parameters to accurately predict the experimental results at different reactor pressures. The experiments on NO conversion in N₂ in one and ten-tube reactors at different pressures, shown in Table 1, were conducted to test the validity of Eq. (6) in describing the pressure dependence of β . Table 4 shows parameters α , β and B for the one and ten-tube reactors at different pressures. As discussed above, α does not vary with pressure (Figure 3). While β does vary with pressure (Figure 4), B is indeed constant, which confirms the validity of Eq. (6). Figures 6 and 7 show the experimental and predicted NO_x outlet concentrations as a function of power input in the one-tube reactor at 2.14 atm and 2.82 atm, respectively. Figure 8 shows similar data for the ten-tube reactor at 2.14 atm. The good agreement between the model, which was based on experimental data obtained at 1.46 atm (Zhao et al., 2004a), and the experimental results obtained at different pressures in this work, verifies that the modified expression, Eq. (7), for the rate constant of electron collision reactions is more general because it includes the effect of gas pressure that was previously contained in the parameter β . The data in Table 4 show that parameter B is a constant for a given reactor geometry, but B varies with reactor geometry, as does β , which was described in detail elsewhere (Zhao et al., 2004a).

The model results in Figures 2 and 6-8 show that there are always maxima in NO₂ and N₂O concentrations as a function of input power under a variety of different experimental conditions, including varying reactor pressure, gas flowrate, initial NO concentration and number of parallel reactor tubes used. The low N₂O concentrations (<15 ppm) are difficult to measure experimentally and result in larger deviations between the model predictions and experimental

data than those observed for NO and NO₂ (as shown in Figures 2 and 6-8). The lumped model calculations show that N₂O concentration reaches a stable value, and N₂O cannot be further converted at higher power inputs [see Figures 2(a), 2(b), 7(c) and 8(c)]. The explanation for these maxima is described elsewhere (Zhao et al., 2004a).

The maxima in NO₂ and N₂O concentration increase with increasing reactor pressure, as shown in Figure 2. The rate of the tri-molecular reaction that forms NO₂, R4 (Zhao et al., 2004d), increases as the concentrations of NO and N₂ increase with increasing reactor pressure, which produces the larger maxima in NO₂ concentration at higher reactor pressures. The increase in NO₂ concentration increases the N₂O formation rate by increasing the reaction rate of R5. The quenching rate of N₂(A), which is the lowest-energy electronic excited state of N₂, by NO (R10) also increases with increasing reactor pressure, which further contributes to the larger maxima in N₂O concentration at higher pressures.

Effect of reactor pressure on energy consumption of NO conversion

Energy consumption analysis is one of the major concerns of this work. Previous investigations (Zhao et al., 2004a; Zhao et al., 2004d) proved that the lumped model accurately describes the effect of varying initial concentrations of NO and gas residence times. The analysis above shows that the model also accurately describes the effect of reactor pressure using Eq. (7). Therefore, this model was used to investigate the energy consumption for NO conversion at different gas pressures using different power inputs and gas residence times. For convenience of comparison, reaction systems with the same initial concentration (600 ppm NO in N₂) in a two-tube reactor were evaluated in the following study.

Figure 9(a) shows NO conversion and Figure 9(b) shows energy consumption as functions of power input, while Figure 9(c) shows energy consumption as a function of NO conversion in the two-tube reactor for different gas pressures at a gas residence time of 6 seconds. The model parameters α and B for electron collision reactions R1 and R2 shown in Table 4 were used to calculate the results shown in Figure 9. NO conversion and the associated energy consumption were calculated from Eq. (2) and (3).

Figure 9(a) shows that the NO conversion gradually increases with power input until a particular power is reached (e.g., ~40 W for 1.46 atm), after which the conversion reaches a stable value of ~98-99% because of the difficulty in converting N_2O , as explained by Zhao et al. (2004a). However, the NO conversion at a given power input decreases with increasing reactor pressure for two reasons. First, the rate of electron collision reactions (e.g., $e + A \rightarrow B + e$) can be expressed as

$$r_A = k[e]C_A \quad (8)$$

where r_A is the rate of electron collision reaction and C_A is the concentration of gas A, which can be expressed as follows

$$C_A = \frac{P_A}{RT} \quad (9)$$

where P_A is the partial pressure of component A, R is the gas constant and T is the gas temperature. Substituting Eq. (7) and Eq. (9) into Eq. (8), we obtain

$$r_A = \frac{B}{RT} \cdot \sqrt{\alpha} \cdot P^{-0.4} \cdot W^{0.75} \cdot \exp\left(-\frac{\alpha P}{W}\right) \quad (10)$$

Eq. (10) shows that the rate of electron collision reactions decreases with increasing reactor pressure. Second, the specific energy input to the reactor, in joules per mole, decreases with

increasing gas pressure at a given power input and gas residence time. Therefore, the conversion of NO decreases with increasing gas pressure.

Figure 9(b) shows that, with increasing power input, energy consumption for NO conversion decreases rapidly at low power inputs, before reaching a flat minimum at intermediate power inputs, and finally increasing linearly at high power inputs. The initial decrease of energy consumption with increasing power input (below about 20 W) is consistent with the exponential term in Eq. (10), which increases exponentially from zero as power input increases from zero. As a result, the rate of electron collision reactions exponentially increases with increasing power input. The discharge energy is therefore more efficiently consumed by electron collision reactions that initiate NO decomposition reactions, resulting in the sharp initial decline in energy consumption. The final linear increase of energy consumption with increasing power input is associated with the production of N_2O , which cannot be converted into N_2 and O_2 , as explained previously (Zhao et al., 2004a). The results show that there is an optimal power input corresponding to minimal energy, which indicates that the operating conditions of the PCDR can be optimized in order to decrease energy consumption. A similar conclusion can be drawn from the experimental data provided by Mizuno et al. (1995).

Figure 9(c) shows that energy consumption decreases with increasing NO conversion at conversions below ~30-60%, depending on gas pressure. At intermediate conversions, energy consumption is constant or slightly increases with increasing conversion. The sharp increase in energy consumption at high NO conversion (98-99%) is caused by the difficulty of converting byproduct N_2O .

Figures 10(a) and (b) show the variation of energy consumption for NO conversion with gas pressure for different gas residence times, at a fixed power input of 15 W and at a fixed NO

conversion of 90%, respectively. The consistent conclusion is that the energy consumption of NO conversion increases with increasing gas pressure, which is explained by the increasing pulse width of the initial discharge voltage peak with increasing gas pressure shown in Table 3 and Figure 1. Namihira et al. (2000) found that the energy required to convert NO increased with increasing pulse width because the interaction time of energetic electrons and gas molecules and the duration of acceleration of the charged species (ions) in the strong electric field during long pulses are increased relative to those experienced during short pulses, which causes more energy to be dissipated thermally. Therefore, the overall energy efficiency of plasma chemical reactions decreases with increasing pulse widths. In addition, Penetrante et al. (1997) found that the fraction of input power consumed in the electron collision process leading to vibrational excitation of N_2 increases exponentially with decreasing electron mean energy. The main sources of gas heating are the vibration-translation and vibration-vibration energy relaxation mechanisms of N_2 molecules (Gordiets et al., 1995; Guerra et al., 2001). Therefore, with increasing gas pressure, the electron mean energy decreases, which results in dissipation of more energy by gas heating instead of by plasma chemical reactions. Therefore, energy consumption of NO_x conversion increases with increasing gas pressure, while the energy efficiency for NO_x conversion, which is inversely related to the energy consumption values shown in Figures 9 and 10, decreases with increasing gas pressure.

Conclusions

On the basis of experiments designed to understand how the reactor pressure affects the rate of electron collision reactions and energy consumption of NO conversion in N_2 , the width of discharge voltage pulses is found to increase with increasing reactor pressure, indicating that

more energy is dissipated thermally as pressure increases. Model parameter α remains constant with reactor pressure, which proves the previous assumption that electron temperature is inversely proportional to reactor pressure. The dominant kinetic parameter β , which controls the rate of electron collision reactions, decreases with reactor pressure. Therefore, the rate of electron collision reactions decreases with reactor pressure. A more general expression for the rate constant, Eq. (7), explicitly and accurately accounts for the effect of reactor pressure that used to be contained in β . In general, energy efficiency of NO conversion increases with decreasing reactor pressure, which is demonstrated at the same power input and at the same NO conversion.

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Table Captions

Table 1. Experimental Matrix

Table 2. List of chemical reactions used in modeling the NO in N₂ system

Table 3. Influence of reactor pressure on the discharge parameters in a two-tube reactor at 200Hz pulse frequency

Table 4. Model parameters at different pressure for one, two and ten-tube reactor

Table 1. Experiment matrix

Reactor tube number	Reactor pressure (atm)	System	Flowrate (m ³ /s)
1	1.46	595 ppm NO + N ₂	2.01×10^{-4}
	2.14	240 ppm NO + N ₂	8.82×10^{-5}
	2.82	240 ppm NO + N ₂	5.47×10^{-5}
2	1.46	595 ppm NO + N ₂	1.02×10^{-4}
	1.80	593 ppm NO + N ₂	1.62×10^{-4}
	2.14	595 ppm NO + N ₂	1.72×10^{-4}
	2.48	593 ppm NO + N ₂	1.22×10^{-4}
	2.82	595 ppm NO + N ₂	1.13×10^{-4}
10	1.46	593 ppm NO + N ₂	3.70×10^{-4}
	2.14	655 ppm NO + N ₂	1.71×10^{-4}

Table 2. List of chemical reactions used in modeling the NO in N₂ system

Chemical reaction	Rate constant (cm ³ ·mol ⁻¹ ·s ⁻¹)	Source	No.
$\text{N}_2 + \text{e} \rightarrow \text{N} + \text{N} + \text{e}$	$k_1 = \frac{\beta_1}{[e]} \sqrt{\frac{1}{\alpha_1 P}} W^{0.75} \exp(-\frac{\alpha_1 P}{W})$	This work	R1
$\text{N}_2 + \text{e} \rightarrow \text{N}_2(\text{A}) + \text{e}$	$k_2 = \frac{\beta_2}{[e]} \sqrt{\frac{1}{\alpha_2 P}} W^{0.75} \exp(-\frac{\alpha_2 P}{W})$	This work	R2
$\text{N} + \text{NO} \rightarrow \text{N}_2 + \text{O}$	1.87×10^{13}	(Atkinson et al., 1989)	R3
$\text{O} + \text{NO} + \text{N}_2 \rightarrow \text{NO}_2 + \text{N}_2$	$k_0 = 3.62 \times 10^{16} [\text{N}_2]$ $k_\infty = 1.81 \times 10^{13}$ $\text{Fc} = 0.85$	(Atkinson et al., 1997)	R4
$\text{NO}_2 + \text{N} \rightarrow \text{N}_2\text{O} + \text{O}$	1.81×10^{12}	(Atkinson et al., 1989)	R5
$\text{NO}_2 + \text{N} \rightarrow \text{N}_2 + \text{O}_2$	4.21×10^{11}	(Kossyi et al., 1992)	R6
$\text{NO}_2 + \text{N} \rightarrow \text{N}_2 + 2\text{O}$	5.48×10^{11}	(Kossyi et al., 1992)	R7
$\text{NO}_2 + \text{N} \rightarrow 2\text{NO}$	1.38×10^{12}	(Kossyi et al., 1992)	R8
$\text{NO}_2 + \text{O} \rightarrow \text{NO} + \text{O}_2$	5.85×10^{12}	(Atkinson et al., 1997)	R9
$\text{N}_2(\text{A}) + \text{NO} \rightarrow \text{N}_2 + \text{NO}$	3.31×10^{13}	(Herron and Green, 2001)	R10
$\text{N}_2(\text{A}) + \text{N}_2\text{O} \rightarrow 2\text{N}_2 + \text{O}$	3.73×10^{12}	(Herron and Green, 2001)	R11
$\text{N}_2(\text{A}) + \text{NO}_2 \rightarrow \text{N}_2 + \text{NO} + \text{O}$	7.83×10^{12}	(Herron and Green, 2001)	R12
$\text{N}_2(\text{A}) + \text{O}_2 \rightarrow \text{N}_2 + 2\text{O}$	1.51×10^{12}	(Herron and Green, 2001)	R13
$\text{N}_2(\text{A}) + \text{O}_2 \rightarrow \text{N}_2\text{O} + \text{O}$	4.70×10^{10}	(Kossyi et al., 1992)	R14
$\text{N}_2(\text{A}) + \text{O}_2 \rightarrow \text{N}_2 + \text{O}_2$	7.77×10^{11}	(Kossyi et al., 1992)	R15
$\text{N}_2(\text{A}) + \text{O} \rightarrow \text{N}_2 + \text{O}$	1.81×10^{13}	(Herron and Green, 2001)	R16
$\text{N}_2(\text{A}) + \text{N} \rightarrow \text{N}_2 + \text{N}$	2.71×10^{13}	(Herron and Green, 2001)	R17
$\text{N} + \text{N} + \text{N}_2 \rightarrow \text{N}_2 + \text{N}_2$	$1.59 \times 10^{15} [\text{N}_2]$	(Kossyi et al., 1992)	R18
$\text{O} + \text{O} + \text{N}_2 \rightarrow \text{O}_2 + \text{N}_2$	$1.10 \times 10^{15} [\text{N}_2]$	(Kossyi et al., 1992)	R19
$\text{N} + \text{O} + \text{N}_2 \rightarrow \text{NO} + \text{N}_2$	$3.68 \times 10^{15} [\text{N}_2]$	(Kossyi et al., 1992)	R20

Table 3. Influence of reactor pressure on the discharge parameters in a two-tube reactor at 200 Hz pulse frequency

Gas pressure (atm)	Pulse peak (kV)	Pulse width (ns)	Rise rate (kV/ns)
1.46	18.3	47	1.33
1.80	19.0	57	1.33
2.14	19.0	83	1.39
2.48	19.8	429	1.38
2.82	19.9	>500	1.31

Table 4. Model parameters at different pressure for one, two and ten-tube reactor

Electron collision reaction			R1	R2
One-tube reactor	α (J·atm ⁻¹ ·s ⁻¹)	1.46 atm	3.68	5.10
		2.14 atm	3.68	5.10
		2.82 atm	3.68	5.10
	β (J ^{-0.25} ·s ^{-0.75})	1.46 atm	1.09×10^{-5}	1.68×10^{-4}
		2.14 atm	7.69×10^{-6}	1.19×10^{-4}
		2.82 atm	6.00×10^{-6}	9.28×10^{-5}
	B (J ^{-0.25} ·s ^{-0.75} ·atm ^{0.9})	1.46 atm	1.52×10^{-5}	2.36×10^{-4}
		2.14 atm	1.52×10^{-5}	2.36×10^{-4}
		2.82 atm	1.52×10^{-5}	2.36×10^{-4}
Two-tube reactor	α (J·atm ⁻¹ ·s ⁻¹)	1.46 atm	3.88	4.94
		1.80 atm	4.23	4.86
		2.14 atm	3.95	5.26
		2.48 atm	4.06	4.99
		2.82 atm	4.21	4.91
	β (J ^{-0.25} ·s ^{-0.75})	1.46 atm	9.79×10^{-6}	7.37×10^{-5}
		1.80 atm	8.22×10^{-6}	6.10×10^{-5}
		2.14 atm	7.31×10^{-6}	5.09×10^{-5}
		2.48 atm	6.32×10^{-6}	4.31×10^{-5}
		2.82 atm	5.70×10^{-6}	3.85×10^{-5}
	B (J ^{-0.25} ·s ^{-0.75} ·atm ^{0.9})	1.46 atm	1.41×10^{-5}	1.02×10^{-4}
		1.80 atm	1.41×10^{-5}	1.02×10^{-4}
		2.14 atm	1.41×10^{-5}	1.02×10^{-4}
		2.48 atm	1.41×10^{-5}	1.02×10^{-4}
		2.82 atm	1.41×10^{-5}	1.02×10^{-4}
Ten-tube reactor	α (J·atm ⁻¹ ·s ⁻¹)	1.46 atm	3.20	4.98
		2.14 atm	3.20	4.98
	β (J ^{-0.25} ·s ^{-0.75})	1.46 atm	3.70×10^{-6}	8.34×10^{-6}
		2.14 atm	2.62×10^{-6}	5.90×10^{-6}
	B (J ^{-0.25} ·s ^{-0.75} ·atm ^{0.9})	1.46 atm	5.18×10^{-6}	1.17×10^{-5}
		2.14 atm	5.18×10^{-6}	1.17×10^{-5}

Figure Captions

Figure 1. Effect of reactor pressure on the discharge voltage waveform. (Two-tube reactor, 200 Hz pulse frequency)

Figure 2. Experimental and Correlated data for NO_x exit concentrations in the two-tube reactor at different overall reactor pressures. (a) 1.46 atm, (b) 1.80 atm, (c) 2.14 atm, (d) 2.48 atm, (e) 2.82 atm. Experimental data: ■ (NO), ● (NO₂), ▲ (N₂O); Calculated data including two electron collision reactions R1 and R2 (—)

Figure 3. Effect of reactor pressure on model parameter α for electron collision reactions in the two-tube reactor. Experimental data: ■ (R1), ▲ (R2)

Figure 4. Effect of reactor pressure on model parameter β for electron collision reactions in the two-tube reactor. (a) Electron collision reaction R1, (b) electron collision reaction R2. Experimental data: ■, Least square regression: — $\beta \propto P^{-0.9}$

Figure 5. Rate constant of electron collision reactions as a function of power input for different gas pressures. (a) Electron collision reaction R1, (b) electron collision reaction R2 (—, 1.46 atm; —, 1.80 atm; ·····, 2.14 atm; ———, 2.48 atm; ———, 2.82 atm)

Figure 6. Experimental and predicted outlet NO_x concentrations in one-tube reactor at 2.14 atm. (a) NO, (b) NO₂, (c) N₂O. Experimental data (■), Calculated data (—)

Figure 7. Experimental and predicted outlet NO_x concentrations in one-tube reactor at 2.82 atm. (a) NO, (b) NO₂, (c) N₂O. Experimental data (■), Calculated data (—)

Figure 8. Experimental and predicted outlet NO_x concentrations in ten-tube reactor at 2.14 atm. (a) NO, (b) NO₂, (c) N₂O. Experimental data (■), Calculated data (—)

Figure 9. Effect of reactor pressure on NO_x conversion and energy consumption in two-tube reactor at gas residence time of 6 s. (a) NO_x conversion as a function of power input, (b) energy consumption as a function of power input, (c) energy consumption as a function of NO_x conversion. (—, 1.46 atm; —, 1.80 atm; ·····, 2.14 atm; ———, 2.48 atm; ———, 2.82 atm)

Figure 10. Energy consumption during NO conversion as a function of reactor pressure in a two-tube reactor. (a) Power input of 15W, (b) 90% conversion
Experimental data: □, 6s, ○, 9s, △, 12s, ▽, 15s gas residence time

Figure 1. Effect of reactor pressure on the discharge voltage waveform. (Two-tube reactor, 200 Hz pulse frequency)

Figure 2. Experimental and Correlated data for NO_x exit concentrations in the two-tube reactor at different overall reactor pressures. (a) 1.46 atm, (b) 1.80 atm, (c) 2.14 atm, (d) 2.48 atm, (e) 2.82 atm. Experimental data: ■ (NO), ● (NO_2), ▲ (N_2O); Calculated data including two electron collision reactions R1 and R2 (—)

Figure 3. Effect of reactor pressure on model parameter α for electron collision reactions in the two-tube reactor. Experimental data: ■ (R1), ▲ (R2)

Figure 4. Effect of reactor pressure on model parameter β for electron collision reactions in the two-tube reactor. (a) Electron collision reaction R1, (b) electron collision reaction R2.

Experimental data: ■, Least square regression: — $\beta \propto P^{-0.9}$

Figure 5. Rate constant of electron collision reactions as a function of power input for different gas pressures. (a) Electron collision reaction R1, (b) electron collision reaction R2
(—, 1.46 atm; — —, 1.80 atm; ·····, 2.14 atm; - - - -, 2.48 atm; — · — ·, 2.82 atm)

Figure 6. Experimental and predicted outlet NO_x concentrations in one-tube reactor at 2.14 atm. (a) NO, (b) NO₂, (c) N₂O. Experimental data (■), Calculated data (—)

Figure 7. Experimental and predicted outlet NO_x concentrations in one-tube reactor at 2.82 atm. (a) NO, (b) NO₂, (c) N₂O. Experimental data (■), Calculated data (—)

Figure 8. Experimental and predicted outlet NO_x concentrations in ten-tube reactor at 2.14 atm. (a) NO, (b) NO₂, (c) N₂O. Experimental data (■), Calculated data (—)

Figure 9. Effect of reactor pressure on NO_x conversion and energy consumption in two-tube reactor at gas residence time of 6 s. (a) NO_x conversion as a function of power input, (b) energy consumption as a function of power input, (c) energy consumption as a function of NO_x conversion.

(—, 1.46 atm; ———, 1.80 atm; ·····, 2.14 atm; - - - - -, 2.48 atm; — · — ·, 2.82 atm)

Figure 10. Energy consumption during NO conversion as a function of reactor pressure in a two-tube reactor. (a) Power input of 15W, (b) 90% conversion

Experimental data: □, 6s, ○, 9s, △, 12s, ▽, 15s gas residence time